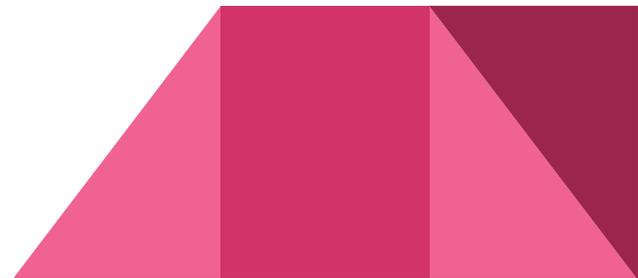


# **2025 S4 Physics Practical Trial (27 June)**

Return and Checking of Scripts  
July 2025

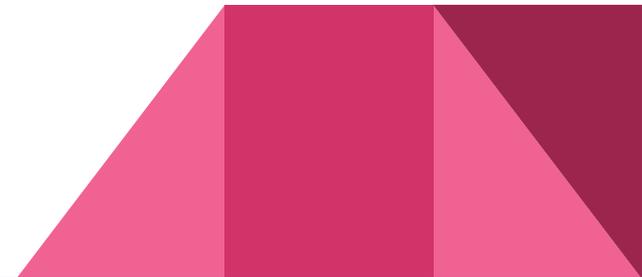
# Some takeaways from doing the Trial Practical

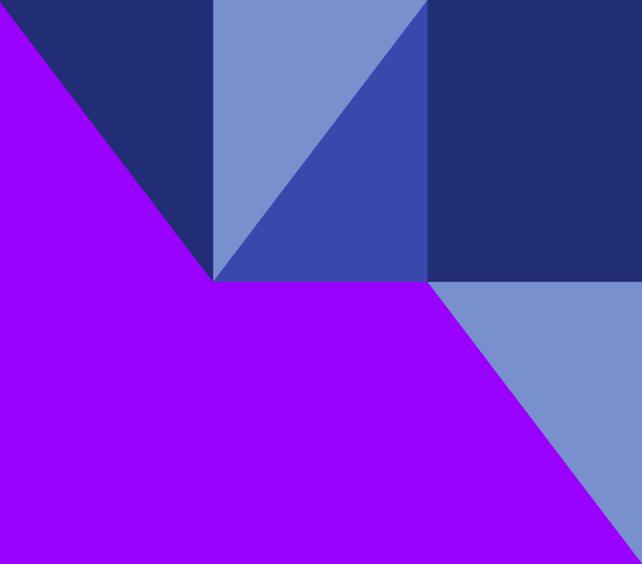
- Understanding the seating arrangement in the labs (each science will have a different seating plan - so don't mix them up!)
- Understanding the format of the paper with the two 55-minute sessions
- Better idea of the type of questions that will appear
- Understanding of what to do when the apparatus appears to be faulty



# What you will get from going through the paper now

- An understanding of how the Physics teachers mark a practical paper
- An appreciation of what are the import points for you to revise
- Knowing which instruments you are not so comfortable with yet and so will need to practice
- Remember to write down which lab you are in. i.e. **Phy/ Bio/ Chem & Lab 1/2/3**





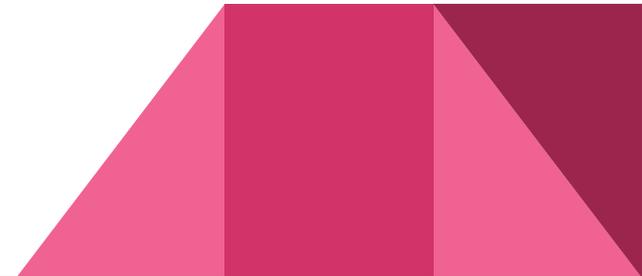
# Answers & Marks Allocation

# QUESTION 1

# Question 1

Some observations:

- Students should displace the mass slightly. Avoid hitting the bench.
- Some students displaced the spring-mass system in the horizontal direction instead.



# Question 1

In this experiment, you will investigate the period and the mass of the spring-mass system.

You are provided with:

- retort stand
- spring
- mass hanger
- 30 cm ruler
- stopwatch

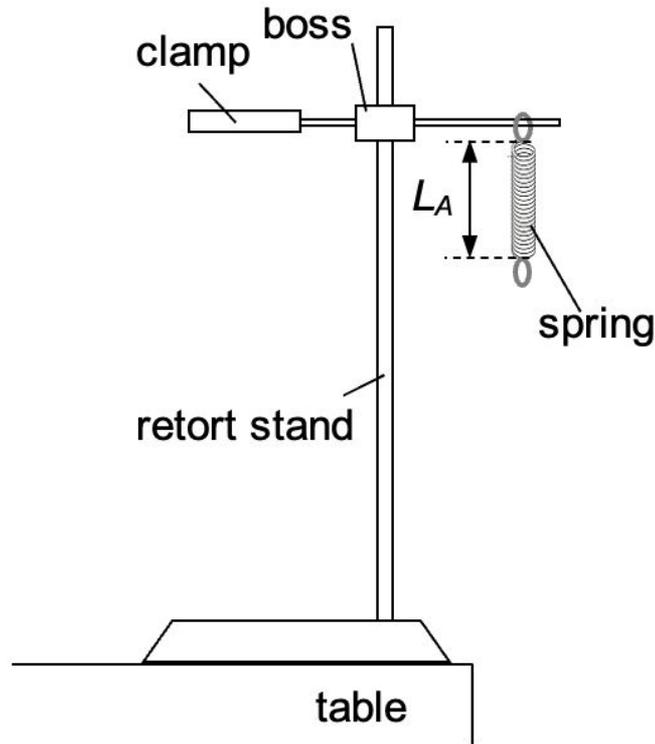


Fig. 1.1

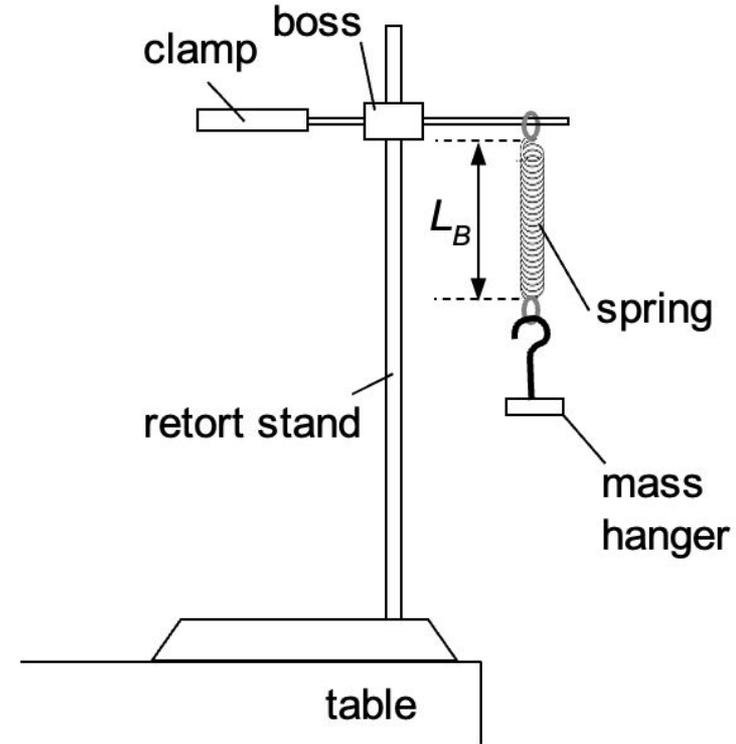


Fig. 1.2

Displace the mass vertically and release.

# Question 1(a)

Measure the unstretched length  $L_A$  of the coiled part of the spring with a ruler and record it.

$L_A = \dots\dots\dots$  [1]

## Accepted

$$L_A = 8.5 \text{ cm}$$

**Accept within 8.0 cm to 9.0 cm**

## Remarks

- must have units
- must be to correct d.p (for ruler)
- should be clearly indicated as m, cm or mm  
NOT M, CM or MM

# Question 1(b)

Measure the stretched length  $L_B$  of the coiled part of the spring.

$L_B = \dots\dots\dots$

**Accepted**

**$L_B = 9.5 \text{ cm}$**

**Remarks**

- unit and d.p

# Question 1(c)

Use the equation  $e = L_B - L_A$  to calculate the extension  $e$  of the spring.

$e = \dots\dots\dots [1]$

## Accepted

**$e = 1.0 \text{ cm}$**

**(accept within 10%)**

## Remarks

- Correct d.p. and units

# Question 1(d)

Measure and record the time taken  $t_1$  for the mass to complete 15 oscillations. Repeat to obtain a second set of reading for  $t_2$ .

$t_1 = \dots\dots\dots$ ;  $t_2 = \dots\dots\dots$  [1]

## Accepted

$t_1 = 10.9 \text{ s}$ ,  $t_2 = 11.0 \text{ s}$

## Remarks

- Correct d.p. and units
- stopwatch should be read to 1 d.p. due to large uncertainty of human reaction time.

## Question 1(e)

Determine the period for the oscillation,  $T$ .

$T = \dots\dots\dots [1]$

### Accepted

$$\text{Period} = (10.9 + 11.0) / (2 \times 15)$$

$$T = 0.730 \text{ s}$$

### Remarks

- Correct s.f. and units

# Question 1(f)

Your plan should include

- The quantities that you should keep constant,
- A detailed description of how you would perform the experiment,
- A suitable table in which to display your measurements and calculated values (you do not need to enter any data into the table),
- A statement of the graph that you would plot to test the relationship,
- A sketch of the graph that you would obtain if the suggested relationship is correct,
- An explanation of how you would obtain the values of  $a$  and  $b$  from your graph.

# Question 1(f)

- The quantities **s** that you should keep constant,

Accepted (ANY 2 of the following)

- unstretched length of spring
- stiffness of spring or spring constant
- initial displacement of the mass

***Usually you will be asked to state IV & DV as well, as a good practice, always state IV, DV and 2 CV at the start.***

# Question 1(f)

- A detailed description of how you would perform the experiment,

Accepted

**Vary  $e$  by adding more slotted masses each time for 9 more values of mass.**

**repeat steps (b) and (c) to obtain extension**

**Measure and record the time taken,  $t_1$  and  $t_2$ , for  $N$  oscillations, making sure that the value of  $t$  is more than 10 s each time. Determine the period  $T$  of the oscillations.**

**Calculate  $T^2$ .**

# Question 1(f)

- A suitable table in which to display your measurements and calculated values (you do not need to enter any data into the table),

Accepted

$\frac{m}{g}$	$\frac{L_B}{cm}$	$\frac{e}{cm}$	$\frac{t_1}{s}$	$\frac{t_2}{s}$	N	$\frac{T}{s}$	$\frac{T^2}{s^2}$

***accepted if m was not present.***

***N not needed if it was clear that the number of oscillations remained constant.***

***do not write in words, use the assigned notations***

# Question 1(f)

- A statement of the graph that you would plot to test the relationship,

Accepted

**Plot a graph of  $T^2$  against  $e$**

# Question 1(f)

- A sketch of the graph that you would obtain if the suggested relationship is correct,

Accepted

**Straight line graph with axes labelled.**

**y-intercept labelled as  $b$**

**origin must be indicated**

***many lost this mark for not indicating  $b$  and origin***

# Question 1(f)

- An explanation of how you would obtain the values of a and b from your graph.

Accepted

**States that a is obtained from the gradient  
and b is the vertical intercept (allow BOD from graph)**

***Details of how to find the gradient are not required.***

# QUESTION 2

## Question 2(c)

Use a protractor to measure and record the angle of incidence  $i$  on the insert. Label  $i$  on the insert.

$i = \dots\dots\dots$  [1]

### Accepted

$i = 20^\circ$

### Remarks

- Must be labelled  $i$  (or  $20^\circ$ ) on the paper

## Question 2(f)

Remove the pins and the prism. Draw a line through the pinholes at  $P_3$  and  $P_4$  and extend this line to meet side XZ. Mark and label the positions of  $P_3$  and  $P_4$ .

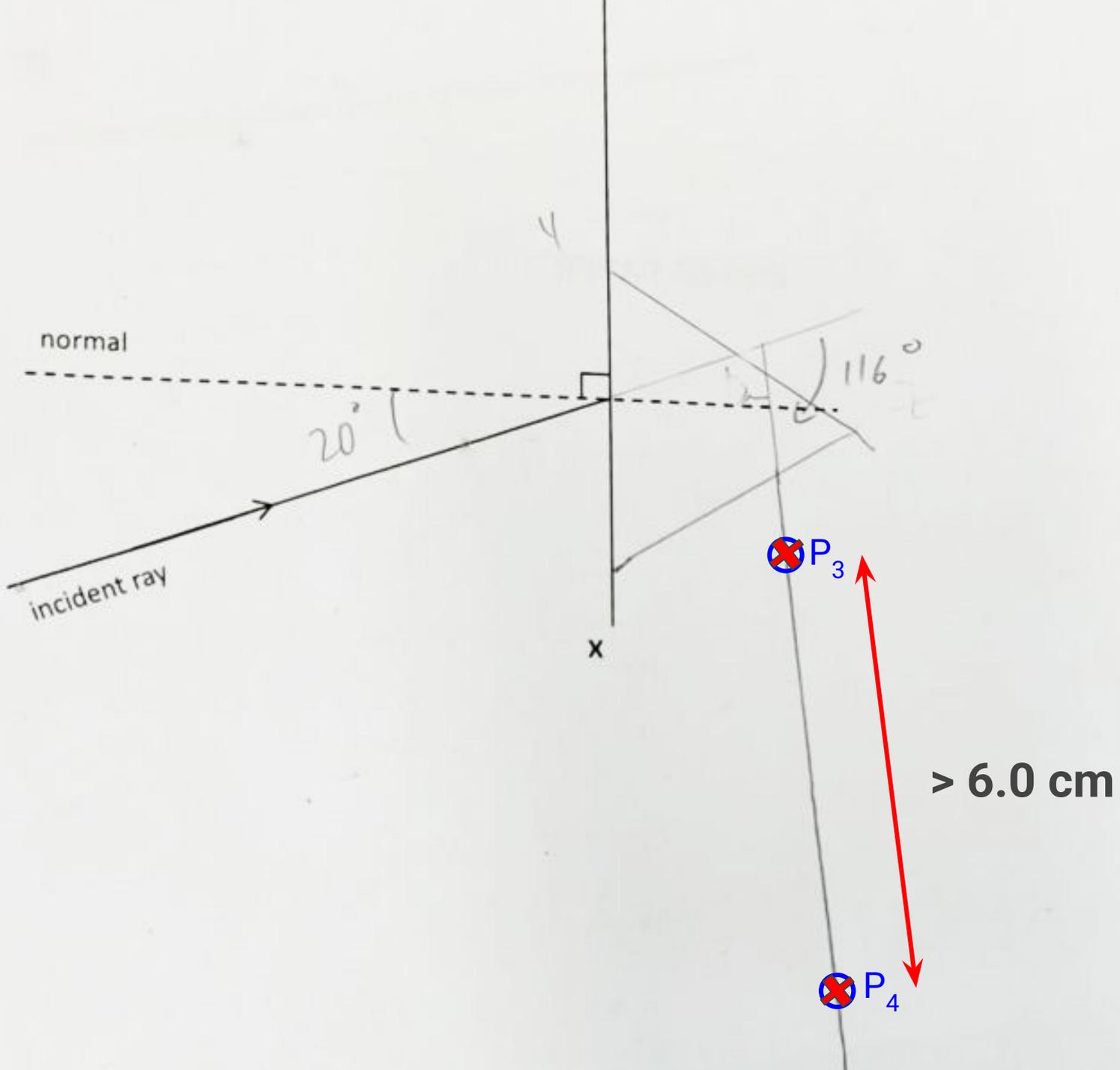
[1]

### Accepted

**At least 6.0 cm apart  
between the pins**

### Remarks

- do not pin on the edge of the prism



## Question 2(g)

Measure the angle of deviation for the ray emerging from side XZ with respect to the incident ray (from P<sub>1</sub> and P<sub>2</sub>).

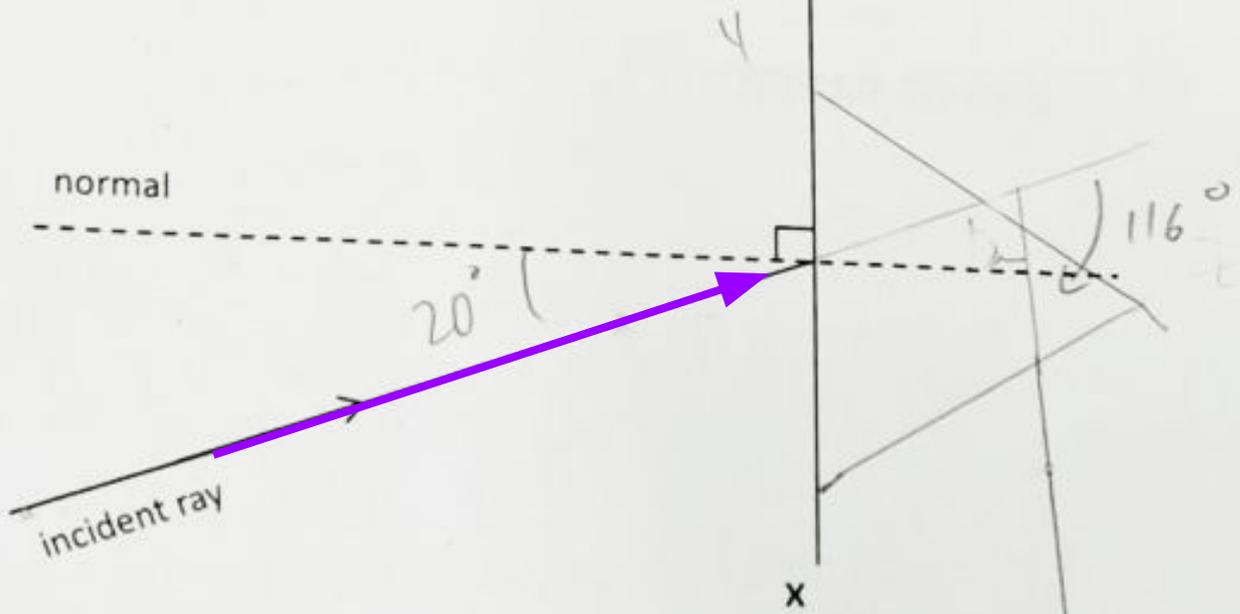
angle of deviation = ..... [2]

### Accepted

**Angle of deviation = 116°**

### Remarks

- Correct d.p. and units.
- Accept within 111° and 121°



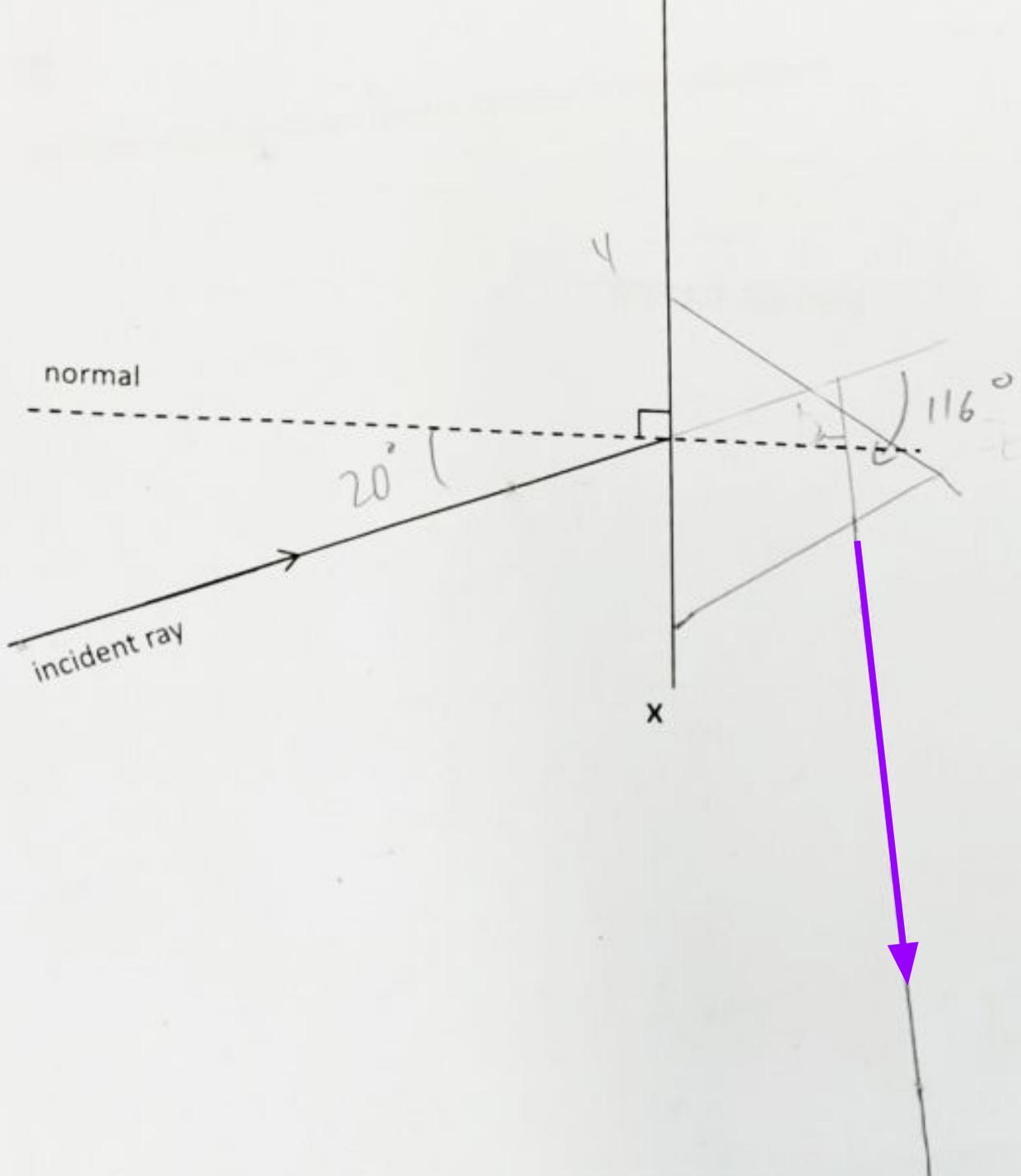
normal

$20^\circ$

$116^\circ$

incident ray

x



## Question 2(h)

Explain why it is not possible to see the pins  $P_1$  and  $P_2$  through the prism on side YZ.

..... [1]

Accepted

**Total reflection occurs  
on side YZ, light will not  
escape from side YZ**

Remarks



## Question 2(i)

State two precautions you have taken for this experiment.

..... [1]

### Accepted

- **Use a protractor or set-square to ensure that the pins are placed vertically upright so that the alignment of the pin(s) and image(s) would be accurate.**
- **The two pins that are used to locate the path of a light ray are placed more than 5.0 cm apart to minimise errors in the location of rays.**

### Remarks

Precautions are **“things that you did to give you better results, or make the experiment safer”** but were **not** told to do in the instructions. They should not be so obvious that they are expected.

## Question 2(i)

State two errors that are difficult to eliminate for this experiment.

[2]

### Accepted

- placing the pin so that it is vertical.
- accurately placing the pin to align with the refracted image of the pin.

### Remarks

It is usual to be asked for **precautions OR errors**. Not so common to be asked for both (as there is often some overlap)

## Question 2(j)

State why it is not practical to use a plastic prism for the experiment.

..... [2]

### Accepted

**Plastic has a lower refractive index to air, total reflection may be less likely to occur on side YZ.**

### Remarks



# QUESTION 3

## Question 3(a)

Measure and record the e.m.f.  $E$  of the two dry cells connected in series.

$E = \dots\dots\dots[1]$

### Accepted

**$E = 2.85 \text{ V}$**

**range of 2.50 V to 3.20 V**

### Remarks

- 2 d.p. (to 0.05 V with unit)

## Question 3(b)(iii)

Measure and record the length  $L$  of the resistance wire between X and J.

Record the voltmeter reading  $V$ .

$L = \dots\dots\dots$

$V = \dots\dots\dots$

[1]

### Accepted

**L: range of 45.0 cm to 55.0 cm**

**V: At least 1.00 V**

### Remarks

- **L - [to 1 d.p. (to 0.1 cm with unit)]**
- **V - [2 d.p. (to 0.05 V with unit)]**

## Question 3(b)(iv)

Record the ammeter reading  $I$ .

$I = \dots\dots\dots[1]$

### Accepted

**At least 0.15 A**

### Remarks

- 1 d.p. to 0.01 A with unit

Calculate the resistance  $R$  of the rheostat using the formula

$$R = \frac{V}{I}$$

Express your answer to an appropriate number of significant figures.

$R = \dots\dots\dots[1]$

### Accepted

$$R = 2.15 / 0.14 = 15 \Omega$$

### Remarks

- R: calculated correctly
- apply least s.f. of the V and I values substituted, with unit.

## Question 3(c)

By placing the jockey at different positions on the resistance wire, repeat (b)(iii) and (b)(iv) for further values of  $L$ , where  $L \geq 10$  cm.

**For each value of  $L$ , adjust the slider on the rheostat until the ammeter reading is approximately the same value as in (b)(iv).**

Record all measurements for  $L$ ,  $V$  and  $I$ , including those from (b)(iii) and (b)(iv). [4]

### Accepted

$L / \text{cm}$	$I / \text{A}$	$V / \text{V}$
10.0	0.14	2.60
30.0	0.14	2.35
50.0	0.14	2.15
70.0	0.14	1.90
85.0	0.14	1.80
100.0	0.14	1.60

### Remarks

- at least 6 sets of data ( $L$ ,  $V$ ,  $I$ ) with correct trend,  $V$  decreases as  $L$  increases
- $I$  remains approximately constant (allow (b)(iv)  $\pm 0.01$  A)
- Range of  $L$  of at least 60.0 cm
- Table headers with correct units
- All values of  $V$  to 0.05 V,  $I$  to 0.01 A and  $L$  to the nearest mm (0.1 cm)
- Deduct 1: if data for 50.0 cm is missing from table.

## Question 3(d)

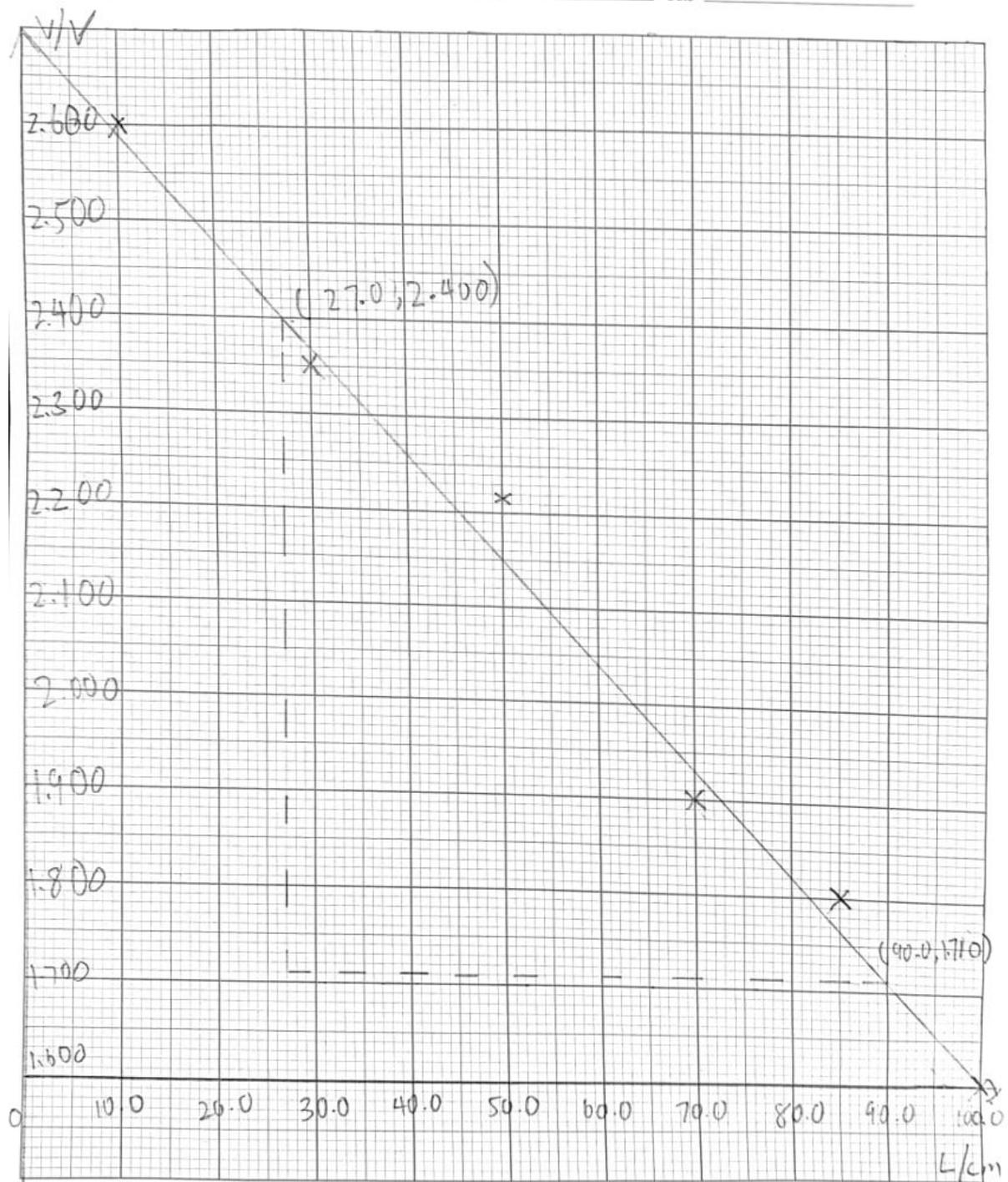
Using the grid provided on page 9, plot a graph of  $V$  against  $L$ .

Draw the line of best fit.

[4]

### Remarks

- Axes labelled with units and correct orientation
  - ( $V$  on y-axis and  $L$  on x-axis)
  - (allow ecf from wrong unit in table but not no units)
  - Intersection correctly labelled
- Suitable scale with plotted points occupying  $\geq$  half the graph grid in both directions
- All points plotted correctly ( $\leq \frac{1}{2}$  small square from the correct position)
- Best fit line



## Question 3(e)(i)

Determine the gradient  $G$  of the graph. Show your working clearly.

$G = \dots\dots\dots$ [2]

### Accepted

$$G = (2.400 - 1.710) / (27.0 - 90.0)$$

(read to half smallest square)

$$= -0.0110 \text{ (V cm}^{-1}\text{)}$$

### Remarks

- Use of a triangle that uses more than half the drawn line
- Gradient triangle and coordinates clearly labelled on graph
- Correct calculation of gradient (units ignored) (accept 2 or 3 s.f.)

## Question 3(e)(ii)

Hence, or otherwise, determine the vertical intercept  $C$  of the graph.

$C = \dots\dots\dots[1]$

### Accepted

$$C = 2.690$$

### Remarks

- $C$  read correctly from the graph (to the nearest half a smallest square), or calculated correctly using linear law.

## Question 3(f)

Describe the relationship between  $V$  and  $L$ .

..... [1]

Accepted

**$V$  decreases linearly as  $L$  increases**

## Question 3(g)

State one significant source of error in this experiment.

..... [1]

### Accepted

- **The resistance wire had kinks (bends) along its length, hence the length measured is not accurate**
- **The internal resistance of the ammeter / dry cells / connecting wires is not negligible (any one object) Hence, the total resistance of the circuit was affected.**
- **The internal resistance of the voltmeter was not infinite. A small current could flow through the voltmeter. Hence the current measured by the ammeter was not the actual current flowing through the rheostat.**

## Question 3(h)(i)

Measure the record the diameter of the resistance wire.

$d = \dots\dots\dots[1]$

**Accepted**

**$d = 0.32 \text{ mm}$**

**Remarks**

- Evidence of repeated readings
- correct d.p. and units

### Question 3(h)(ii)

The resistivity  $\rho$  of the material of the resistance wire and the gradient  $G$  of the graph are related by the expression

$$G = -\frac{4\rho I}{\pi d^2}$$

Calculate the resistivity  $\rho$  of the resistance wire.

$\rho = \dots\dots\dots$ [2]

#### Accepted

$$\begin{aligned}\rho &= 0.011 \pi (0.032)^2 / \\ &(4 \times 0.20) \\ &= 4.4 \times 10^{-5} \Omega \text{ cm}\end{aligned}$$

#### Remarks

- Resistivity calculated correctly with the correct unit (e.g.  $\Omega \text{ m}$ ,  $\Omega \text{ cm}$ )

END